

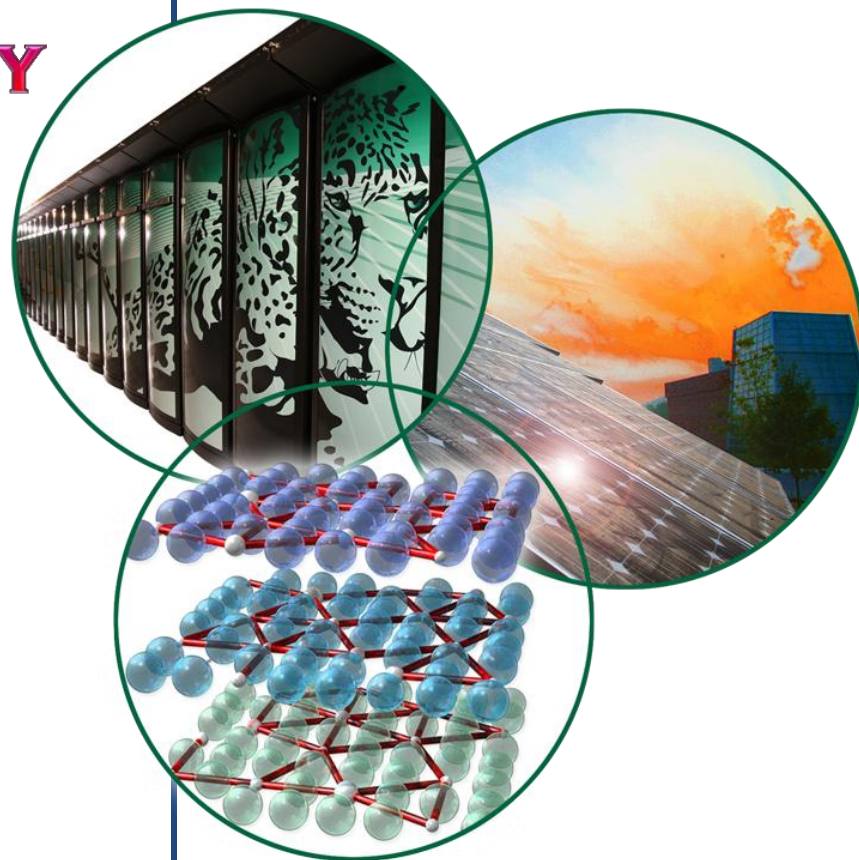
EXAMPLE 1

STUDY OF MAGNETIC STRUCTURE OF NiO BY NEUTRON POWDER DIFFRACTION TECHNIQUE

Clarina de la Cruz



Workshop on Magnetic Structure Determination
from Neutron Diffraction Data

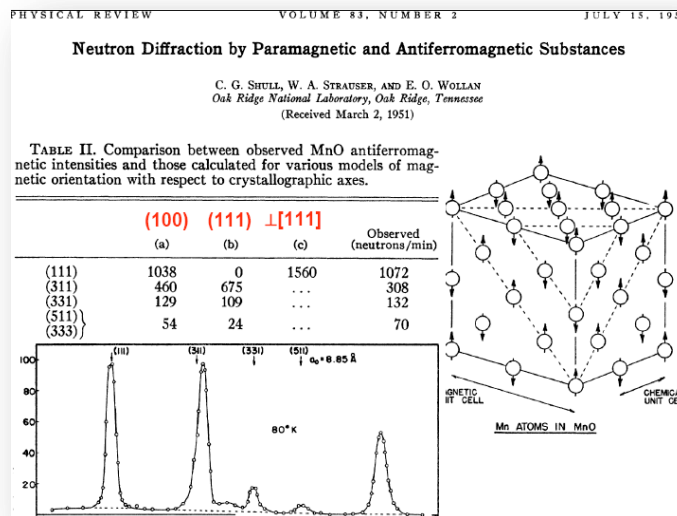
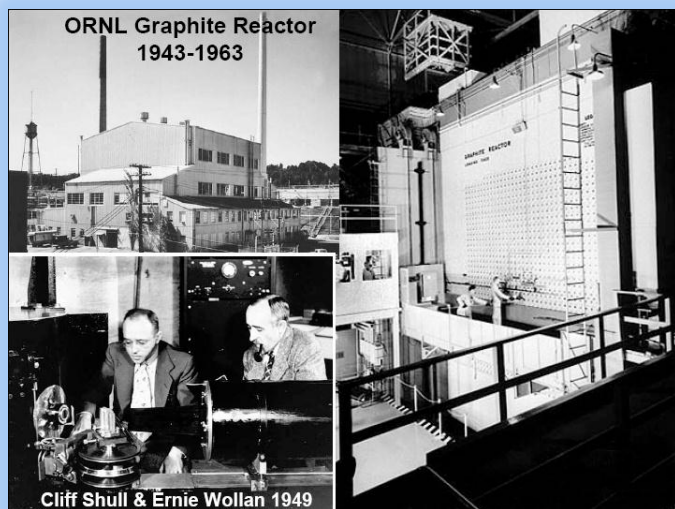


September 17, 2012



❖ First neutron diffraction investigations of magnetic materials were done at Oak Ridge

Clifford G. Shull: 1994 Nobel Prize winner in Physics

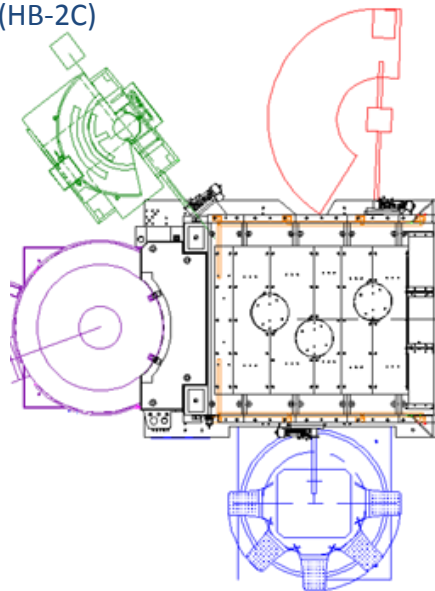


- ✓ The first direct evidence of antiferromagnetism was produced in determining the magnetic structure of MnO
- ✓ the Néel model of ferrimagnetism was confirmed for Fe_3O_4 ,
- ✓ the first magnetic form-factor data were obtained by measuring the paramagnetic scattering by Mn compounds,
- ✓ the production of polarized neutrons by Bragg reflection from ferromagnets was demonstrated

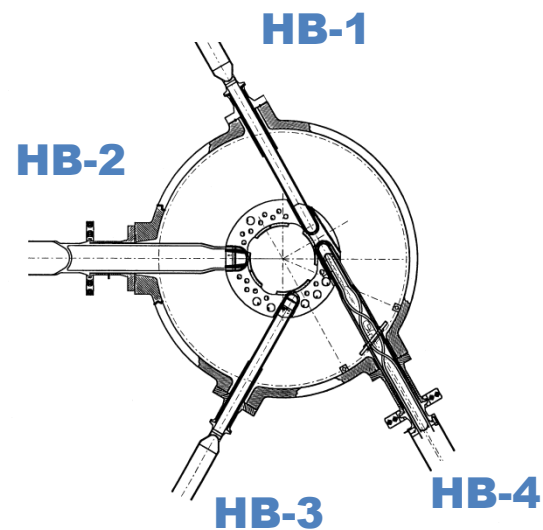
HB2A Powder Diffractometer



WAND
(HB-2C)



High- Resolution
Diffractometer (HB-2A)



Engineering
Diffractometer (HB-2B)

- constant-wavelength diffractometer designed to provide an optimum balance between the high flux and high resolution.

Available for user since May 2009

2010 – 2011 proposals call:
x 3 - subscription rate

Our user base in 2009-2011



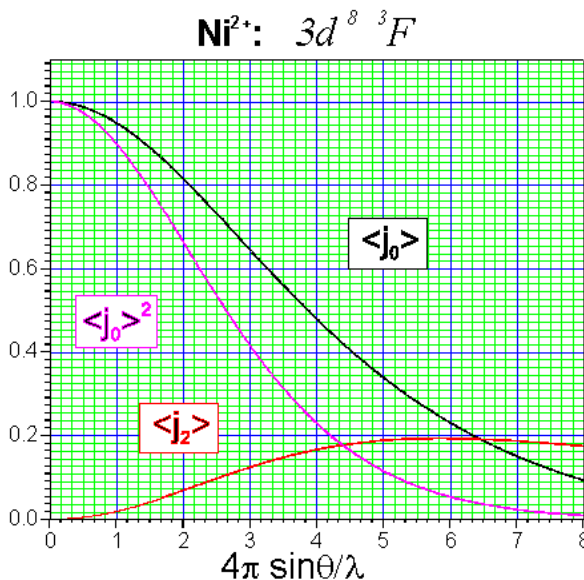
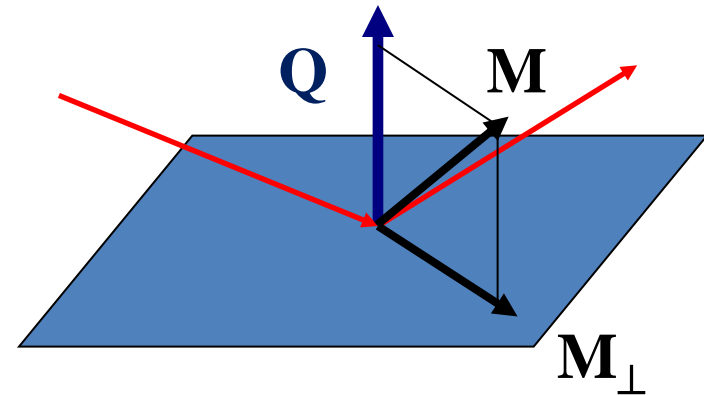
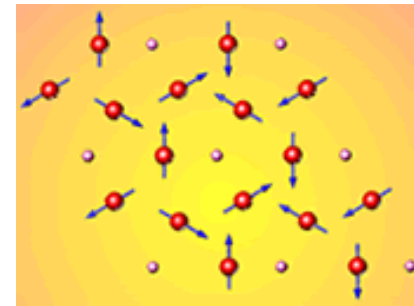
MAGNETIC NEUTRON SCATTERING

Magnetic structure factors are complex vectors

Only the perpendicular component of \mathbf{M} to \mathbf{Q} contributes to scattering

$$\mathbf{M}_{\perp}(\mathbf{Q}) = \hat{\mathbf{Q}} \times \mathbf{M}(\mathbf{Q}) \times \hat{\mathbf{Q}}$$

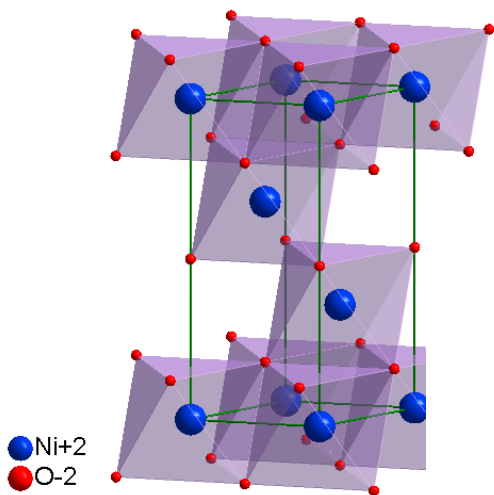
$$I_M \sim f(\mathbf{Q})^2 M_{\perp}(\mathbf{Q})^2$$



$$f(\mathbf{Q}) = \langle j_0(\mathbf{Q}) \rangle + \left(1 - \frac{2}{g}\right) \langle j_2(\mathbf{Q}) \rangle$$

International Tables of Crystallography, Volume C,
ed. by AJC Wilson, Kluwer Ac. Pub., 1998, p. 513

MAGNETIC STRUCTURE OF NiO

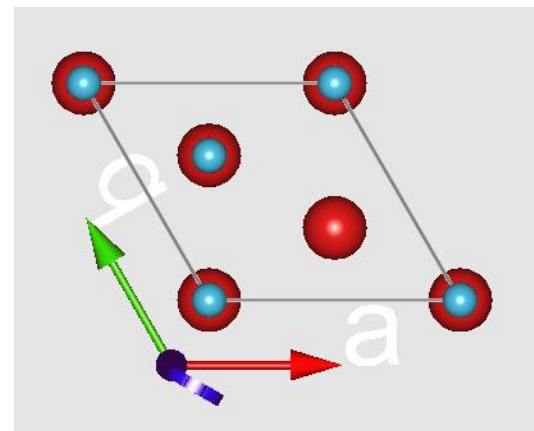
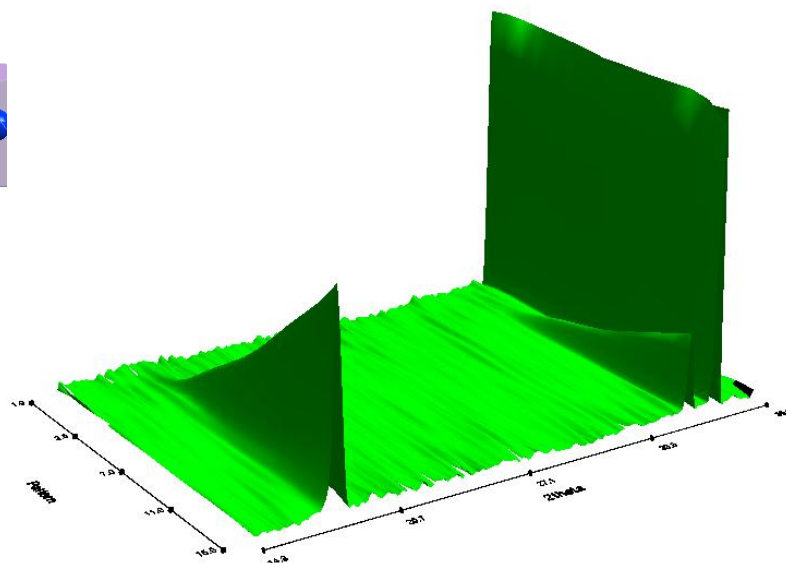


Trigonal : R-3m

$a = 2.93\text{\AA}$, $c = 7.23\text{\AA}$

Ni : 3a : (0 0 0) ; O : 3b : (0 0 $\frac{1}{2}$)

$$(0,0,0) + \left(\frac{2}{3}, \frac{1}{3}, \frac{1}{3}\right) + \left(\frac{1}{3}, \frac{2}{3}, \frac{2}{3}\right) +$$



PHYSICAL REVIEW

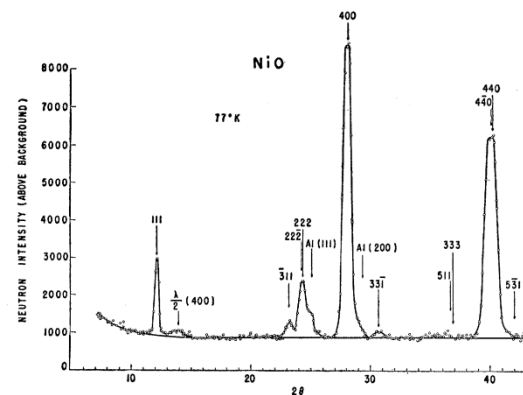
VOLUME 110, NUMBER 6

JUNE 15, 1958

Magnetic Structures of MnO, FeO, CoO, and NiO†

W. L. ROTH

General Electric Research Laboratory, Schenectady, New York



Build PCR file from CIF file for PHASE 1: Nuclear Phase

1. Neutron Powder diffraction Data (2theta,intensity, standard deviation)
HB2a, $\lambda=1.537$ Å, T=290K, 8g of powder in a vanadium tube
2. Instrument Resolution file (IRF)
3. Known Nuclear structure (CIF=crystallographic information file)

MAGNETIC MOMENT OF EACH ATOM: FOURIER SERIES

$$\mathbf{m}_{ljs} = \sum_{\{\mathbf{k}\}} \mathbf{S}_{\mathbf{k}js} \exp\{-2\pi i \mathbf{k} \mathbf{R}_l\}$$

Standard Fourier coefficients refinement:

A magnetic phase has $\mathbf{Jb}t = +/- 1$

The magnetic symmetry is introduced together with explicit symmetry operators of the crystal structure. The refined variables are directly the components of the $\mathbf{S}_{\mathbf{k}js}$ vectors. Not all components of $\mathbf{S}_{\mathbf{k}js}$ are free (reason of the phase factors) and a relation exist between $\mathbf{S}_{\mathbf{k}j1}$ and $\mathbf{S}_{\mathbf{k}js}$

$$\mathbf{S}_{\mathbf{k}js} = M_{js} \mathbf{S}_{\mathbf{k}j1} \exp\{-2\pi i \phi_{\mathbf{k}j}\}$$

MAGNETIC MOMENT OF EACH ATOM: FOURIER SERIES

$$\mathbf{m}_{ljs} = \sum_{\{\mathbf{k}\}} \mathbf{S}_{\mathbf{k}js} \exp\{-2\pi i \mathbf{k} \mathbf{R}_l\}$$

```

Data for PHASE number: 2 ==> Current R_Bragg for Pattern# 1: 18.11
-----
magnetic
!
!Nat Dis Mom Pr1 Pr2 Pr3 Jbt Irf Isy Str Furth ATZ Nvk Npr More
! 1 0 0 0.0 0.0 1.0 1 -1 -1 0 0 0.000 1 7 0
!
R -1 <--Space group symbol for hkl generation
!Nsym Cen Laue MagMat
! 1 1 1 1
!
!SYMM x, y, z
!MSYM u,v,w,0.000
!
!Atom Typ Mag vek X Y Z Biso Occ RX Ry RZ
! Ix Iy Iz beta11 beta22 beta33 MagPh
Ni MN12 1 1 0.00000 0.00000 0.00000 0.30000 1.00000 1.648 0.000 0.000
0.000 0.000 0.00 0.00 0.00 0.00 0.00 31.00 0.00 0.00
0.00 0.00 0.00 0.00 0.00 0.00 0.00

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Standard
A mag

The magnetic symm
structure. The refin
of $\mathbf{S}_{\mathbf{k}js}$ are free (rea

$$\mathbf{S}_{\mathbf{k}js} = M_{js} \mathbf{S}_{\mathbf{k}j1} \exp\{-2\pi i \phi_{\mathbf{k}j}\}$$

MAGNETIC MOMENT OF EACH ATOM: FOURIER SERIES

$$\mathbf{m}_{ljs} = \sum_{\{\mathbf{k}\}} \mathbf{S}_{\mathbf{k}js} \exp\{-2\pi i \mathbf{k} \mathbf{R}_l\}$$

k ?

$$\mathbf{S}_{\mathbf{k}} = \frac{1}{2} (\mathbf{R}_{\mathbf{k}} + i \mathbf{I}_{\mathbf{k}}) \exp\{-2\pi i \phi_{\mathbf{k}}\}$$

Standard Fourier coefficients refinement:

A magnetic phase has $\mathbf{Jb} \mathbf{t} = +/- 1$

The magnetic symmetry is introduced together with explicit symmetry operators of the crystal structure. The refined variables are directly the components of the $\mathbf{S}_{\mathbf{k}js}$ vectors. Not all components of $\mathbf{S}_{\mathbf{k}js}$ are free (reason of the phase factors) and a relation exist between $\mathbf{S}_{\mathbf{k}j1}$ and $\mathbf{S}_{\mathbf{k}js}$

$$\mathbf{S}_{\mathbf{k}js} = M_{js} \mathbf{S}_{\mathbf{k}j1} \exp\{-2\pi i \phi_{\mathbf{k}j}\}$$

PHASE 2: AFM Magnetic Phase